

## Backend Optimizations

- Instruction selection
- Translate low-level IR to assembly instructions
- A machine instruction may model multiple IR instructions
- Especially applicable to CISC architectures
- Register Allocation
- Place variables into registers
- Avoid spilling variables on stack


## Instruction Selection

- Different sets of instructions in low-level IR and in the target machine
- Instruction selection = translate low-level IR to assembly instructions on the target machine
- Straightforward solution: translate each low-level IR instruction to a sequence of machine instructions
- Example:

$$
x=y+z \quad \square \quad \begin{aligned}
& \operatorname{mov} y, r 1 \\
& \begin{array}{l}
\operatorname{mov} z, r 2 \\
\text { mov } r 2, r 1 \\
\text { mov } 1, x
\end{array}
\end{aligned}
$$

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## Instruction Selection

- Problem: straightforward translation is inefficient
- One machine instruction may perform the computation in multiple low-level IR instructions
- Excessive memory traffic
- Consider a machine that includes the following instructions:

$$
\begin{array}{ll}
\text { add } \mathrm{r} 2, r 1 & \mathrm{r} 1 \leftarrow \mathrm{r} 1+\mathrm{r} 2 \\
\text { mulc } \mathrm{c}, \mathrm{r} 1 & \mathrm{r} 1 \leftarrow \mathrm{r} 1^{*} \mathrm{c} \\
\text { load } \mathrm{r} 2, \mathrm{r} 1 & \mathrm{r} 1 \leftarrow * \mathrm{r} 2 \\
\text { store } \mathrm{r} 2, \mathrm{r} 1 & * r 1 \leftarrow \mathrm{r} 2 \\
\text { movem } \mathrm{r} 2, \mathrm{r} 1 & * r 1 \leftarrow{ }^{*} \mathrm{r} 2 \\
\text { movex } \mathrm{r} 3, \mathrm{r} 2, \mathrm{r} 1 & * r 1 \leftarrow *(\mathrm{r} 2+\mathrm{r} 3)
\end{array}
$$

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| Example |  |
| :---: | :---: |
| - Consider the computation: $a[i+1]=b[j]$ <br> - Assume a,b, i, j are global variables register ra holds address of a register rb holds address of b register ri holds value of $i$ register rj holds value of $j$ | Low-level IR: $\begin{aligned} & \mathrm{t} 1=\mathrm{j} * 4 \\ & \mathrm{t} 2=\mathrm{b}+\mathrm{t} 1 \\ & \mathrm{t} 3=* \mathrm{t} 2 \\ & \mathrm{t} 4=\mathrm{i}+1 \\ & \mathrm{t} 5=\mathrm{t} 4 * 4 \\ & \mathrm{t} 6=\mathrm{a}+\mathrm{t} 5 \\ & * \mathrm{t} 6=\mathrm{t} 3 \end{aligned}$ |
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Possible Translation



## Issue: Instruction Costs

- Different machine instructions have different costs
- Time cost: how fast instructions are executed
- Space cost: how much space instructions take
- Example: cost = number of cycles

| add r2, r1 | cost $=1$ |
| :--- | :--- |
| mulc c, r1 | $\cos t=10$ |
| load r2, r1 | $\cos t=3$ |
| store $r 2, r 1$ | $\cos t=3$ |
| movem r2, r1 | $\cos =4$ |
| movex r3, r2, r1 | $\operatorname{cost}=5$ |

- Goal: find translation with smallest cost

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Yet Another Translation

| - Index of $b[j]$ : <br> - Address of a[i+1]: add 1 , ri $\qquad$ mulc 4, ri add ri, ra <br> - Store into a[i+1]: movex rj, rb, ra | Low-level IR: $\begin{aligned} & \mathrm{t} 1=\mathrm{j} * 4 \\ & \mathrm{t} 2=\mathrm{b}+\mathrm{t} 1 \\ & \mathrm{t} 3=* \mathrm{t} 2 \\ & \mathrm{t} 4=\mathrm{i}+1 \\ & \mathrm{t} 5=\mathrm{t} 4 * 4 \\ & \mathrm{t} 6=\mathrm{a}+\mathrm{t} 5 \\ & * \mathrm{t} 6=\mathrm{t} 3 \end{aligned}$ |
| :---: | :---: |
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## Directed Acyclic Graphs

- Tree representation: appropriate for instruction selection
- Tiles $=$ subtrees $\rightarrow$ machine instructions
- DAG = more general structure for representing instructions
- Common sub-expressions represented by the same node
- Tile the expression DAG
- Example:

$$
\begin{aligned}
& t=y+1 \\
& y=z^{*} t \\
& t=t+1 \\
& z=t^{*} y
\end{aligned}
$$

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## DAG Construction

- Input: a sequence of low IR instructions in a basic block
- Output: an expression DAG for the block
- Idea:
- Label each DAG node with variable holding that value
- Build DAG bottom-up
- A variable may have multiple values in a block
- Use different variable indices for different values of the variable: $t_{0}, t_{1}, t_{2}$, etc.

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## Big Picture

- What the compiler has to do:

1. Translate low-level IR code into DAG representation
2. Then find a good tiling of the DAG

- Maximal munch algorithm
- Dynamic programming algorithm


